

# Evaluating Exchange Rate Regimes: a Natural Experiment?

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# Introduction

- We revisit the question of the **optimal exchange rate policy** in Small Open Economies (SOE).
- Old question: Friedman (1953) *"The case for flexible exchange rates"*:
  - Prices are sticky.
  - Let the exchange rate do the adjustment.
  - Spain and Portugal 2009-12.
- "Fear of Floating" in practice. Calvo and Reinhart (2002).

# Introduction

- Want a model with realistic real exchange rate behavior.
- Focus on role of primary commodities in SOE.
- Primary commodity prices (PCP)
  - are particularly volatile and persistent
  - correlate with relevant variables (RER, output).
  - exogenous in SOE.
- Very simple model reproduces salient features of data.

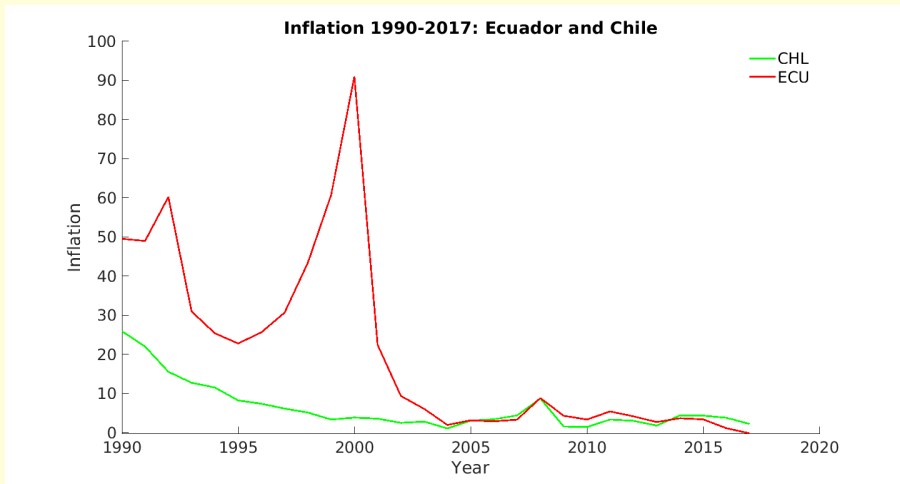
# Introduction

- Study the interaction of
  - shocks to the terms of trade (PCP).
  - frictions in the setting of **both** prices and wages
- If only one friction, the nominal exchange rate movements fixes it.
- One example with rigid wages: Schmitt-Grohé and Uribe (2016).

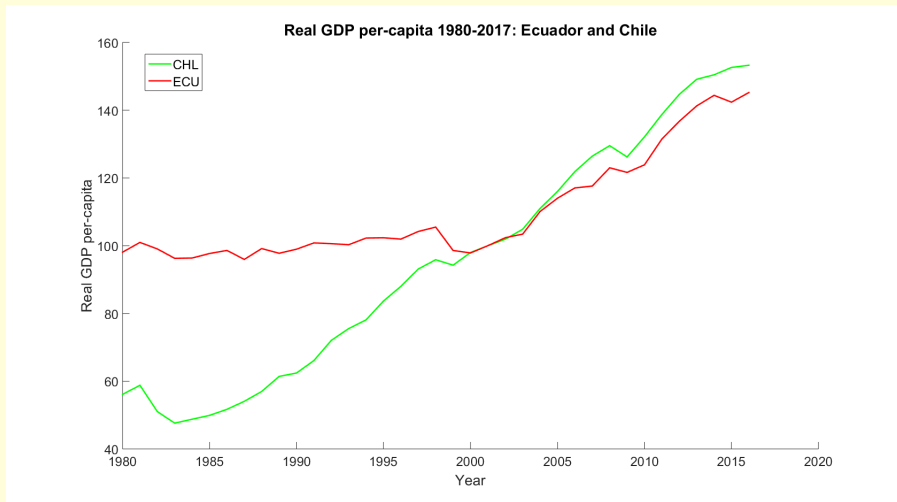
# Introduction

- We use two paradigmatic examples.
  - Chile “floats” since 2001.
  - Ecuador “hard peg” also since 2001.
- In both countries exports of PC around 20% of GDP (over 80% copper in Chile and almost 50% oil in Ecuador).
- Almost a natural experiment?

# Inflation in Chile and Ecuador



# GDP per capita in Chile and Ecuador



# Introduction

- We use Chilean data (floater) to calibrate the model.
- Simple NK model with Calvo-type frictions in prices and wages.
- Augmented with:
  - A sector that produces an exportable primary commodity.
  - Exogenous shocks to PC prices, and TFP.



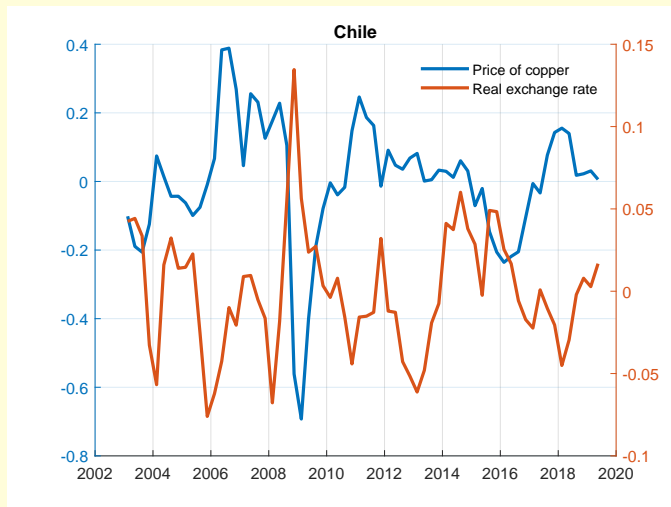
# Introduction

- The model replicates key moments in the data.
- Some degree of “fear of floating” is optimal.
- The right amount of “fear” depends much on details.
- Fully floating dominates a hard peg, with welfare gain around 0.03 percentage points of lifetime consumption.
- The model ignores lack of commitment and assumes that the price level can be perfectly targeted.

# Plan

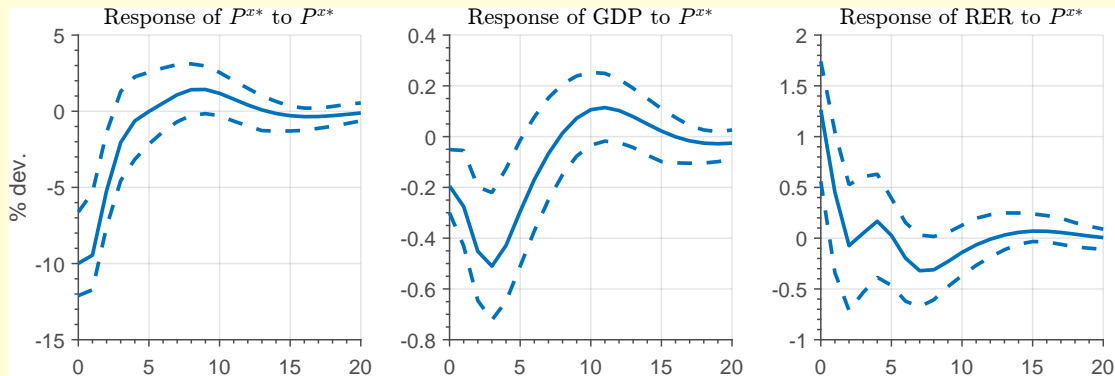
- Data for Chile.
- Model.
- Calibration and Simulations.
- Welfare Analysis.
- Data for Ecuador

# Chile and copper



Note: Quarterly data. HP-filtered with a smoothing parameter of 1600. Correlation is -0.6.

# Impulse response to negative shock to the price of copper



**Note:** VAR with price of copper in constant USD, real GDP, and real exchange rate. VAR identified using exogeneity of price of copper. Data are hp-filtered.

# Model with flexible prices and financial autarky

- Labor only economy.
- Produces
  - a **traded** primary commodity using labor and an endowment (oil, land)
  - a **nontraded** final good using labor, the locally produced commodity and an imported input
- Preferences

$$E_0 \sum_{t=0}^{\infty} \beta^t [u(c_t) - h(n_t + l_t)]$$

- $n_t$  is labor allocated to the final non-traded
- $l_t$  is labor allocated to the primary commodity.

## Final good technology

$$y_t = Z_t (n_t)^{\eta_1} (x_t)^{\eta_2} (m_t)^{\eta_3}$$

Thus

$$P_t = k \frac{1}{Z_t} (W_t)^{\eta_1} (P_t^x)^{\eta_2} (P_t^m)^{\eta_3}$$

## Commodity sector

$$X_t = A_t (E)^{\phi} (I_t)^{(1-\phi)}$$

so

$$W_t = (1 - \phi) P_t^x A_t \left( \frac{E}{I_t} \right)^{\phi}$$

Replacing on the price level

$$P_t = k' \frac{A_t^{\eta_1}}{Z_t} \left( \frac{E}{I_t} \right)^{\phi \eta_1} (P_t^x)^{\eta_1 + \eta_2} (P_t^m)^{\eta_3}$$

- Law of one price

$$\begin{aligned} P_t^x &= S_t P_t^{x*} \\ P_t^m &= S_t P_t^{m*} \end{aligned}$$

- Then,

$$P_t = k' \frac{A_t^{\eta_1}}{Z_t} \left( \frac{E}{I_t} \right)^{\phi \eta_1} (S_t P_t^{x*})^{\eta_1 + \eta_2} (S_t P_t^{m*})^{\eta_3}$$

- or

$$P_t = P_t^{USA} S_t \left[ k' \frac{A_t^{\eta_1}}{Z_t} \left( \frac{E}{I_t} \right)^{\phi \eta_1} \left( \frac{P_t^{x*}}{P_t^{USA}} \right)^{\eta_1 + \eta_2} \left( \frac{P_t^{m*}}{P_t^{USA}} \right)^{\eta_3} \right]$$

- If we let  $\tilde{\zeta}_t$  be the real exchange rate:

$$\tilde{\zeta}_t = \frac{P_t^{USA} S_t}{P_t} = \frac{1}{MC_t^*}$$

where

$$MC_t^* = \left[ k' \frac{A_t^{\eta_1}}{Z_t} \left( \frac{E}{I_t} \right)^{\phi \eta_1} \left( \frac{P_t^{x*}}{P_t^{USA}} \right)^{\eta_1 + \eta_2} \left( \frac{P_t^{m*}}{P_t^{USA}} \right)^{\eta_3} \right]$$

is the marginal cost in constant USD.



# Quantitative Model

- Add Calvo frictions in prices and wages.
- Accumulation of foreign liabilities:

$$\frac{D_{t+1}}{1 + r_t} - D_t + P_t^{x*} (X_t - x_t) - P_t^{z*} z_t = 0.$$

# Numerical experiments

- We abstract from implementation.
- Monetary policy can set a nominal variable.
- Given the frictions, natural policy to considers trades-off  $P_t$  vs  $W_t$ .
- Will consider a policy that trades off  $P_t$  versus  $S_t$ 
  - Chile targets nominal prices: inflation targeting.
  - Ecuador: dollarization equivalent to a fixed exchange rate regime.

# “Fear of floating” policy

- Recall that

$$P_t = \frac{\theta_p}{\theta_p - 1} S_t MC_t^*$$

- Policy of the form

$$\log \left( \frac{S_{t+1}}{S_t} \right) = -\nu \log \left( \frac{MC_{t+1}^*}{MC_t^*} \right).$$

- $\nu = 0$  is a peg.
- $\nu = 1$  is pure inflation targeting.
- $0 < \nu < 1$  is “fear of floating”.

# Calibration

- Preferences of the form

$$U(C_t, L_t) = \frac{C_t^{1-\gamma} - 1}{1-\gamma} - \varphi \frac{(\bar{L} - L_t)^{1+\psi}}{1+\psi}.$$

- Elasticity of labor supply:  $\psi = 3$ .
- Fraction of the workforce in commodity sector is 5%.
- Share parameters in final goods:  $\eta_1 = 0.03$ ,  $\eta_2 = 0.24$ ,  $\eta_3 = 0.73$ .
- Commodity production: elasticity of substitution  $\omega = 0.15$ .
- Process for commodity prices  $P_t^{x*}$ . Volatility = 0.14, persistence = 0.97.
- Price stickiness parameters:
  - $\alpha^p = 0.5$
  - $\alpha^w = 0.75$

| Baseline parameters |  |       |
|---------------------|--|-------|
| Parameter           | Description  | Value |
| $\beta$             | Discount factor (utility, annualized)              | 0.96  |
| $\gamma$            | Risk aversion (utility)                            | 2     |
| $\psi$              | Exponent leisure (utility)                         | 3     |
| $\omega$            | Elasticity of substitution in commodity technology | 0.15  |
| $\rho$              | Share of labor in commodities technology           | 0.10  |
| $\eta_1$            | Share of home commodity in final goods             | 0.03  |
| $\eta_2$            | Share of foreign commodity in final goods          | 0.24  |
| $\eta_3$            | Share of labor in final goods                      | 0.73  |
| $\alpha^p$          | Calvo parameter prices                             | 0.50  |
| $\alpha_w$          | Calvo parameter wages                              | 0.75  |
| $\theta_p$          | Elasticity of subst. intermediate varieties        | 6     |
| $\theta^w$          | Elasticity of subst. labor varieties               | 6     |
| $\rho_x$            | Coefficient on lagged value home commodity price   | 0.97  |
| $\sigma_x$          | Standard deviation shock to home commodity price   | 0.14  |

# Moments Chile and Inflation targeting

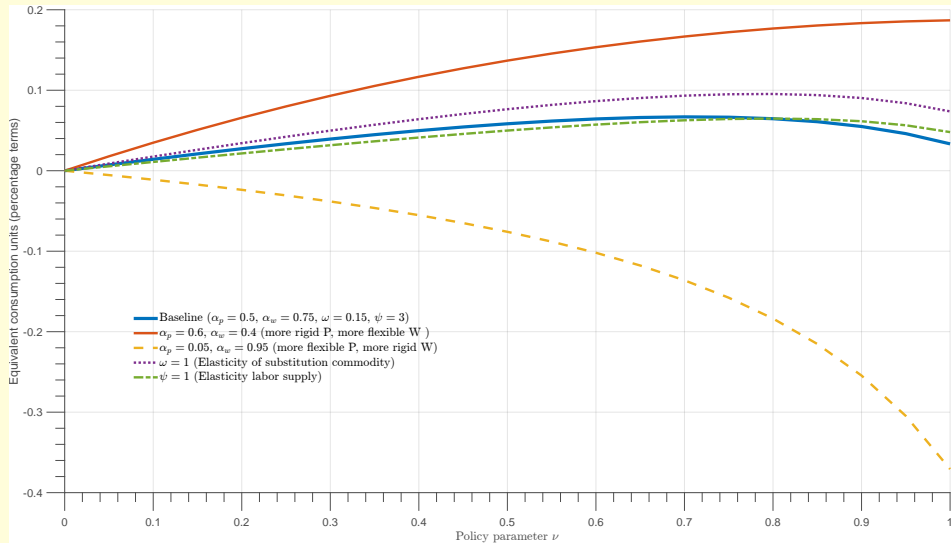
|                      | Chile | Model |
|----------------------|-------|-------|
| std(GDP)             | 1.6   | 1.6   |
| std( $p^{x*}$ )      | 18.4  | 18.4  |
| std(RER)             | 5.5   | 6.8   |
| corr(RER, $p^{x*}$ ) | -0.75 | -0.83 |
| corr(RER,GDP)        | -0.46 | 0.20  |
| corr(GDP, $p^{x*}$ ) | 0.56  | 0.29  |

Data and model are HP-filtered with a smoothing parameter of 1600.

# Welfare analysis

- Compute the welfare gain relative to a peg by moving the “fear of floating” parameter  $\nu$ .
- Simulate model with all shocks
- Baseline economy
- Economies with different degrees of price stickiness and elasticities.

# Welfare gain over hard peg ( $\nu = 0$ )

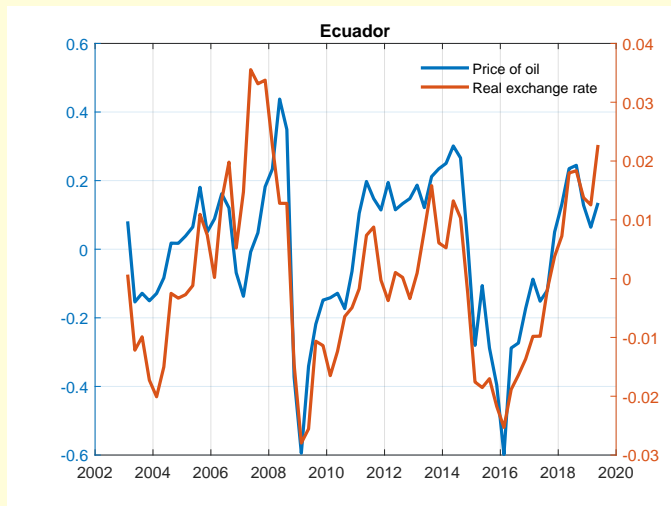




# Welfare analysis

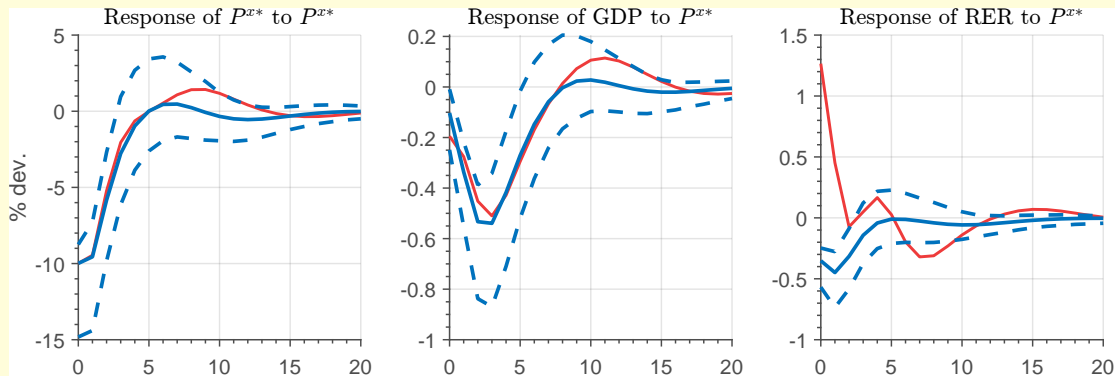
- Some degree of “fear of floating” is optimal.
- The exact amount is sensitive to details.
- Pure inflation targeting dominates a peg unless wages are extremely rigid.

# Ecuador



Note: Quarterly data. HP-filtered with a smoothing parameter of 1600. Correlation is 0.9 for multi and 0.76 for bilateral

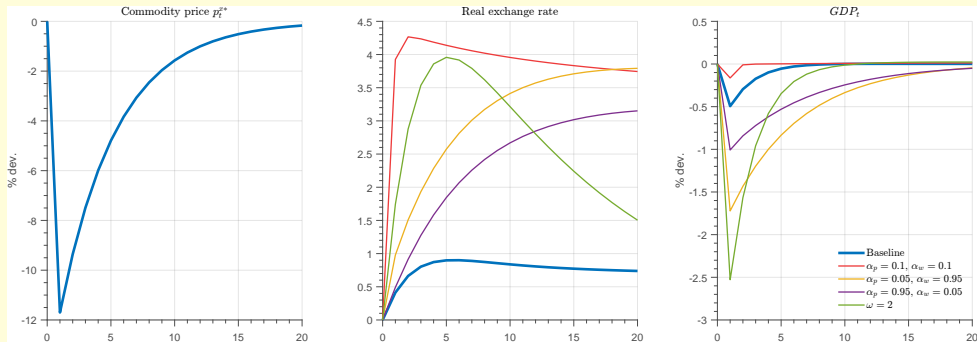
# Ecuador: impulse response to negative oil price shock



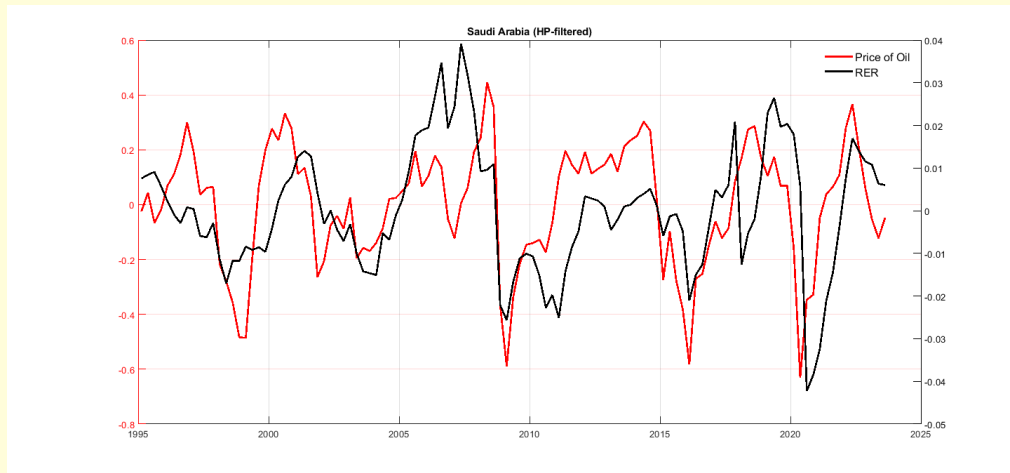
Note: VAR with oil price in constant USD, real GDP, and real exchange rate. VAR identified using exogeneity of oil price. Data is hp-filtered. In red, Chile's impulse response.

# Price and wage stickiness don't do the job!

- Impulse response under a peg for different degrees of stickiness.



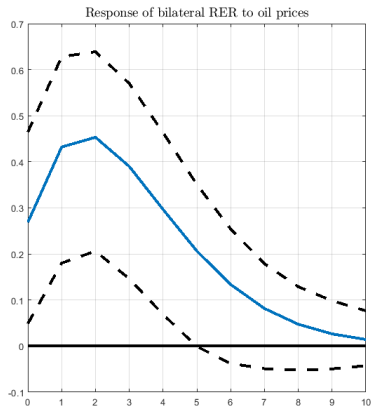
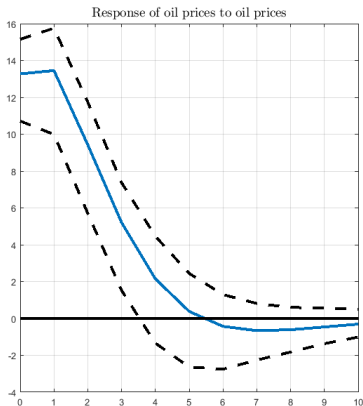
# Other Peg: Saudi Arabia and oil



Note: Quarterly data. HP-filtered with a smoothing parameter of 1600. Correlation is 0.46.

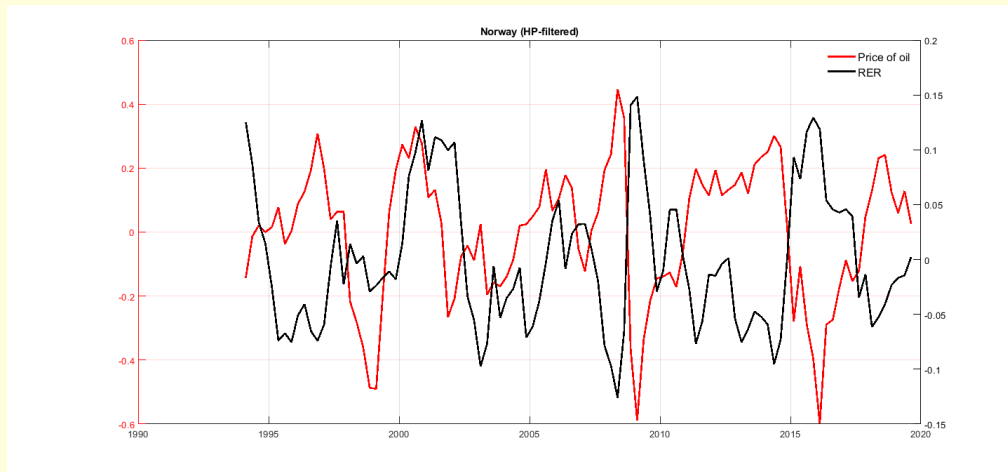
# Impulse response to positive shock to the price of oil

HP filtered Bilateral Exchange Rates for Saudi Arabia 1995-2023: Impulse responses for VARs



**Note:** VAR with price of oil in constant USD, and real exchange rate. VAR identified using exogeneity of price of oil. Data are hp-filtered.

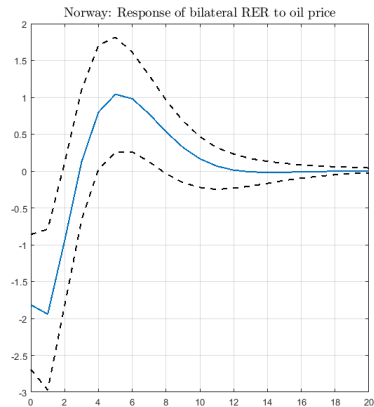
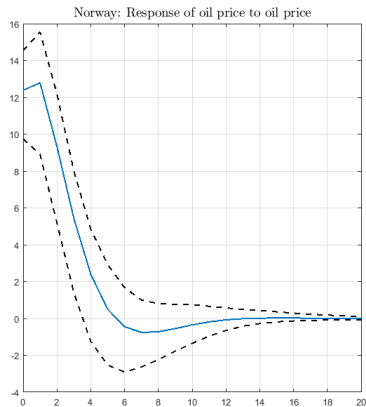
# Other floater: Norway and oil



Note: Quarterly data. HP-filtered with a smoothing parameter of 1600. Correlation is -0.5.

# Impulse response to positive shock to the price of oil

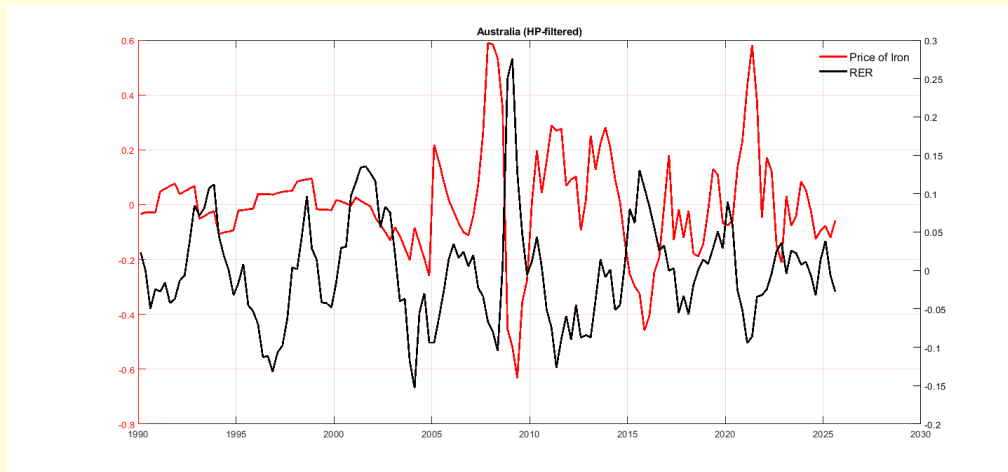
HP filtered Bilateral Exchange Rates for Norway 1994-2019: Impulse responses for VARs



**Note:** VAR with price of oil in constant USD, and real exchange rate. VAR identified using exogeneity of price of oil. Data are hp-filtered.



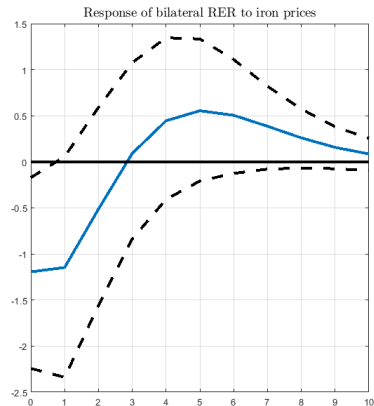
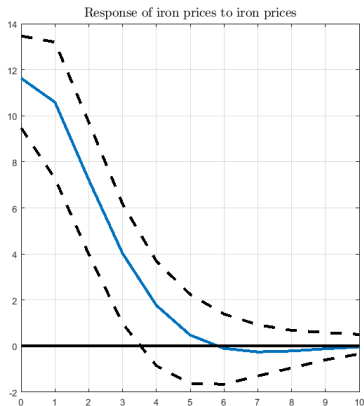
# What about Australia and iron?



Note: Quarterly data. HP-filtered with a smoothing parameter of 1600. Correlation is -0.5.

# Impulse response to positive shock to the price of iron

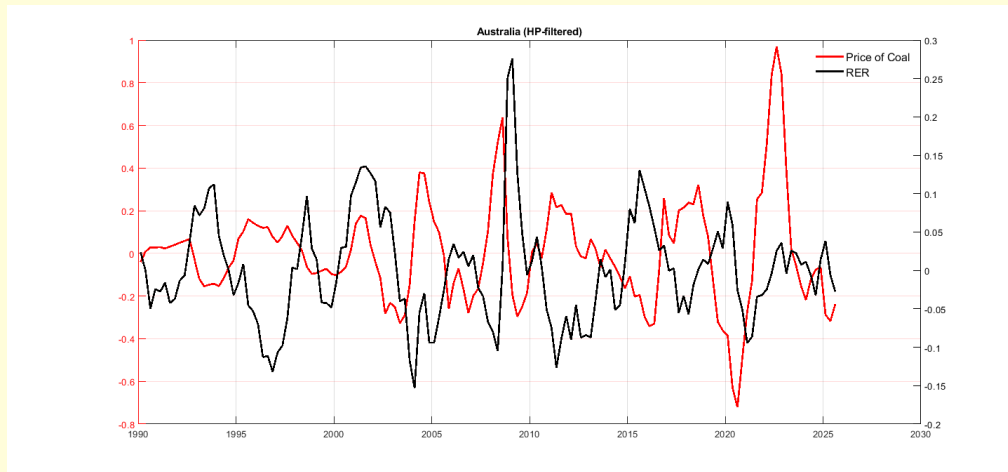
HP filtered Bilateral Exchange Rates for Australia 1990-2025: Impulse responses for VARs



**Note:** VAR with price of iron in constant USD, and real exchange rate. VAR identified using exogeneity of price of iron. Data are hp-filtered.

THANKS!

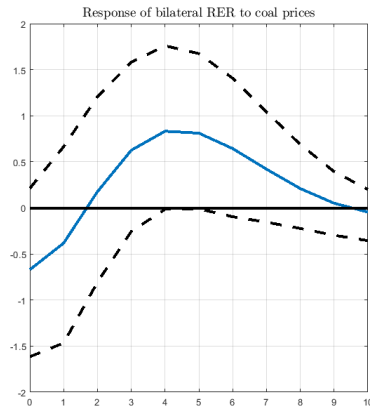
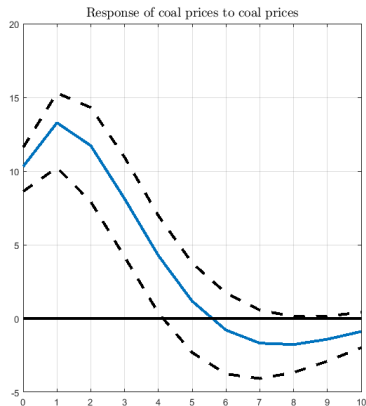
# Australia and coal



Note: Quarterly data. HP-filtered with a smoothing parameter of 1600. Correlation is 0.32.

# Impulse response to positive shock to the price of coal

HP filtered Bilateral Exchange Rates for Australia 1990-2025: Impulse responses for VARs



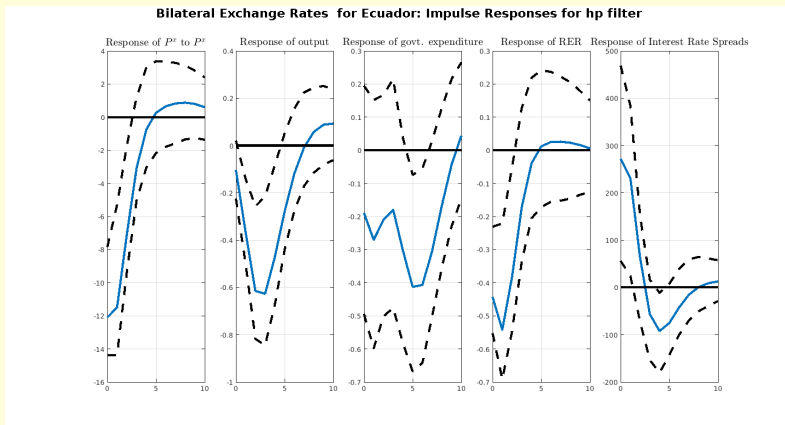
**Note:** VAR with price of coal in constant USD, and real exchange rate. VAR identified using exogeneity of price of iron. Data are hp-filtered.

# Moments Ecuador and fixed exchange rate

|                      | Ecuador | Model (only $p^{x*}$ ) |
|----------------------|---------|------------------------|
| std( $p^{x*}$ )      | 21.5    | 21.4                   |
| std(GDP)             | 1.8     | 3.1                    |
| std(RER)             | 1.5     | 6.4                    |
| corr(RER, $p^{x*}$ ) | 0.76    | -0.74                  |
| corr(RER, GDP)       | 0.30    | -0.26                  |
| corr(GDP, $p^{x*}$ ) | 0.47    | 0.83                   |

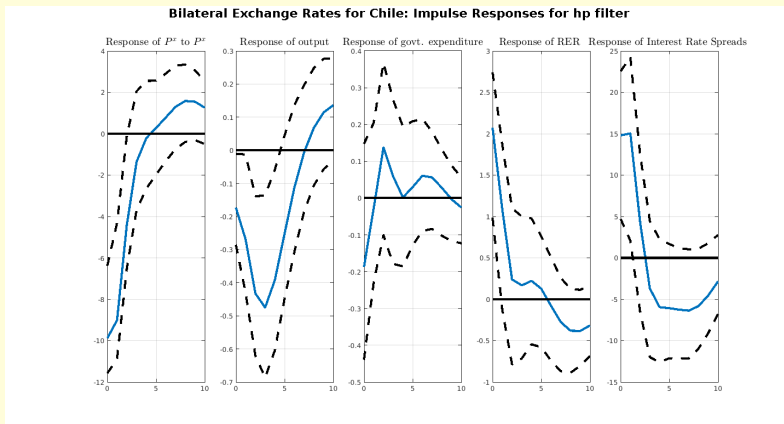
Data and model are HP-filtered with a smoothing parameter of 1600.

# Ecuador: impulse response to negative oil price shock



Note: VAR with oil price in constant USD, real GDP, real exchange rate, government expenditures, and sovereign spread. VAR identified using exogeneity of oil price. Data is hp-filtered.

# Chile: impulse response to negative copper price shock

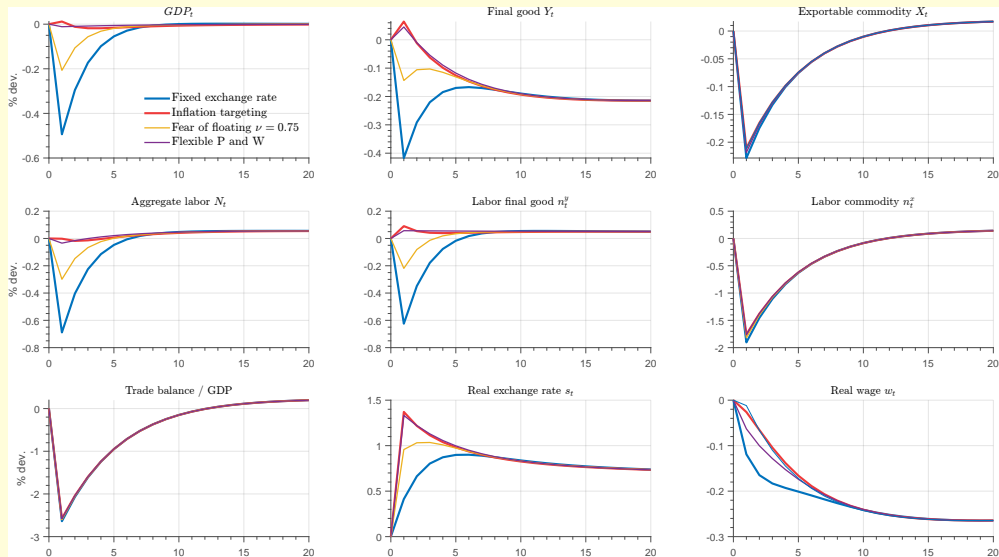


Note: VAR with copper price in constant USD, real GDP, real exchange rate, government expenditures, and sovereign spread. VAR identified using exogeneity of oil price. Data is hp-filtered.

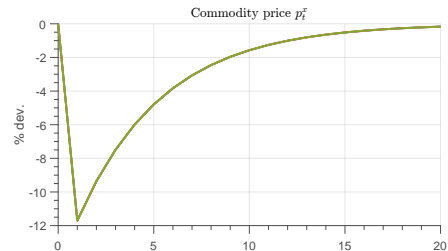
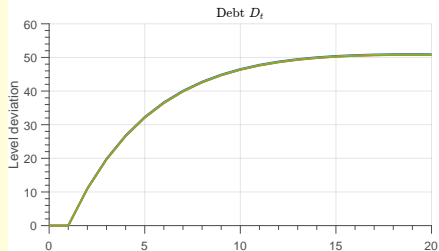
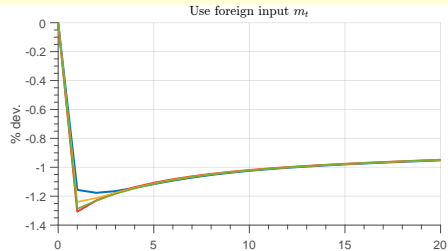
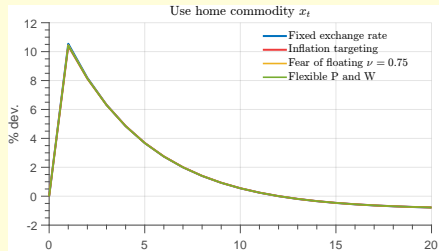


# APPENDIX

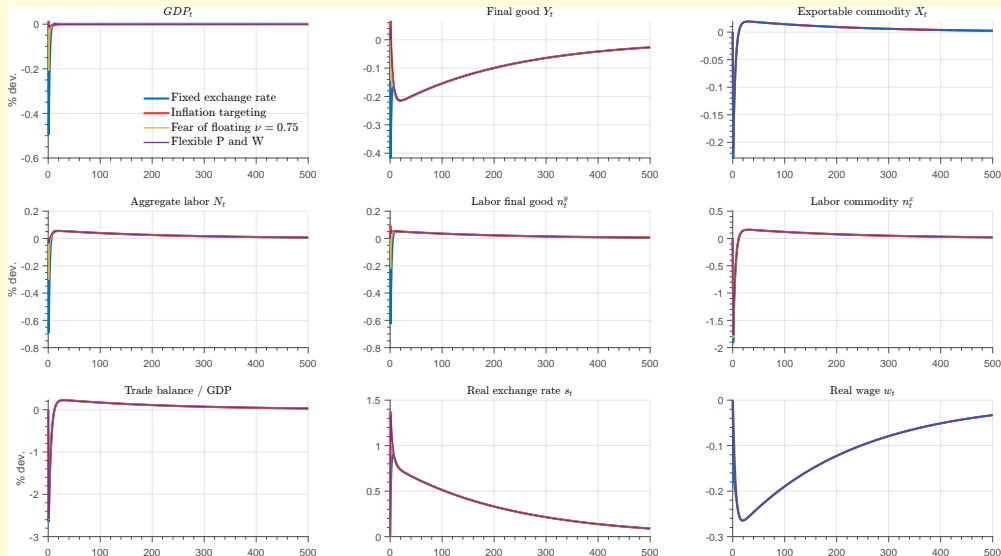
# Impulse responses inflation targeting



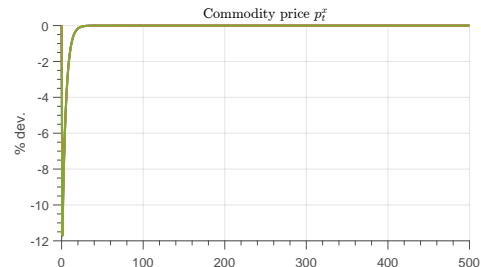
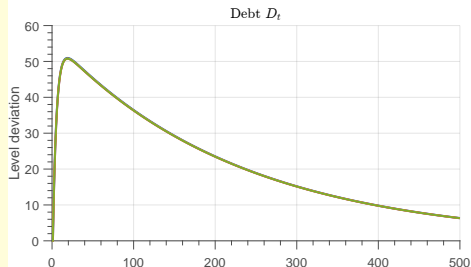
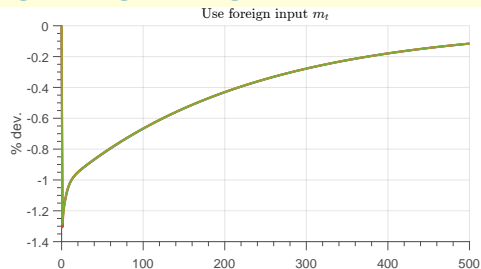
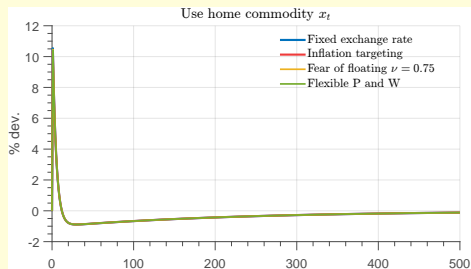
# Impulse responses inflation targeting



# Impulse responses inflation targeting (long horizon)



# Impulse responses inflation targeting (long horizon)



# Moments Chile and Inflation targeting

|                      | Chile | Model | Only $p^{x*}$ | No $A^x$ | No $A^y$ |
|----------------------|-------|-------|---------------|----------|----------|
| std(RER)             | 5.5   | 6.8   | 5.7           | 6.7      | 6.5      |
| std(GDP)             | 1.6   | 1.6   | 0.8           | 1.6      | 1.1      |
| std( $p^{x*}$ )      | 18.4  | 18.4  | 18.4          | 18.4     | 18.4     |
| corr(RER, $p^{x*}$ ) | -0.75 | -0.83 | -0.97         | -0.82    | -0.85    |
| corr(RER,GDP)        | -0.46 | 0.20  | -0.40         | 0.20     | 0.03     |
| corr(GDP, $p^{x*}$ ) | 0.56  | 0.29  | 0.61          | 0.32     | 0.43     |

Data and model are HP-filtered with a smoothing parameter of 1600.

# Model moments small sample distributions

